

Quantitative first principles based kinetic modeling for the synthesis of well-defined macromolecular architectures

Gilles B. Desmet, Dagmar R. D'hooge, Maarten K. Sabbe,
Marie-Françoise Reyniers and Guy B. Marin

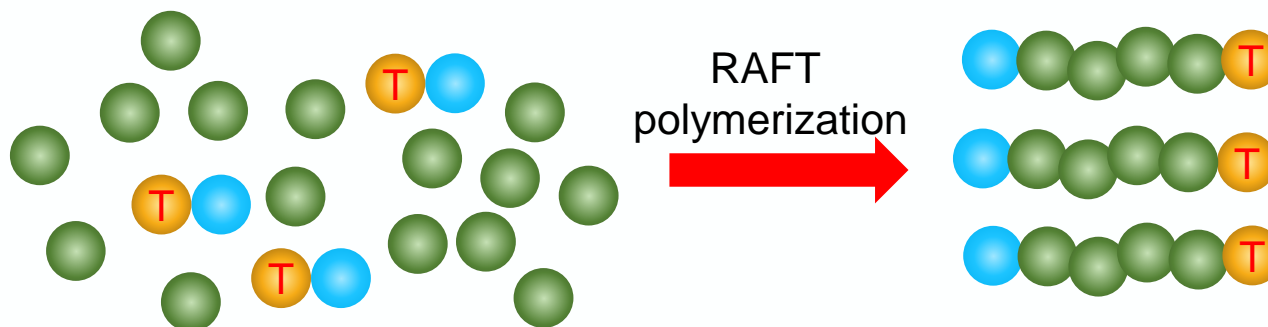
Laboratory for Chemical Technology, Ghent University

<http://www.lct.UGent.be>

Contents: 2 case studies related to Reversible Addition-Fragmentation chain Transfer (RAFT) polymerization

1. RAFT polymerization of styrene (●) using a trithiocarbonate (T●)

- Calculation of **addition-fragmentation** rate coefficients
- Application in a **microkinetic model**

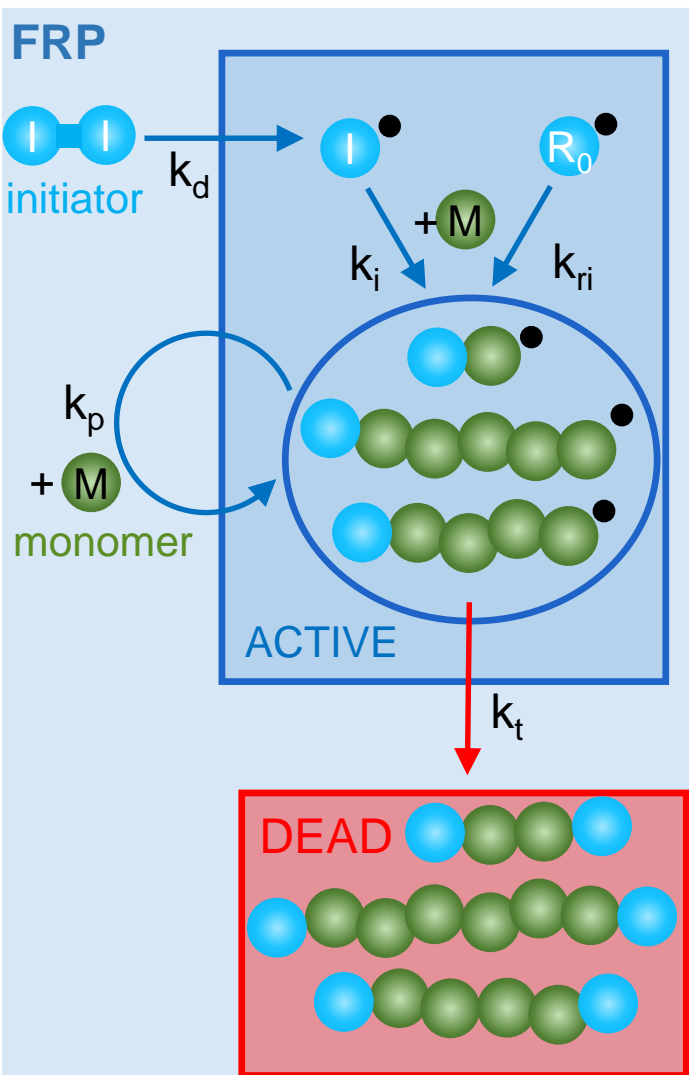


2. The **aminolysis** of RAFT-macromolecules

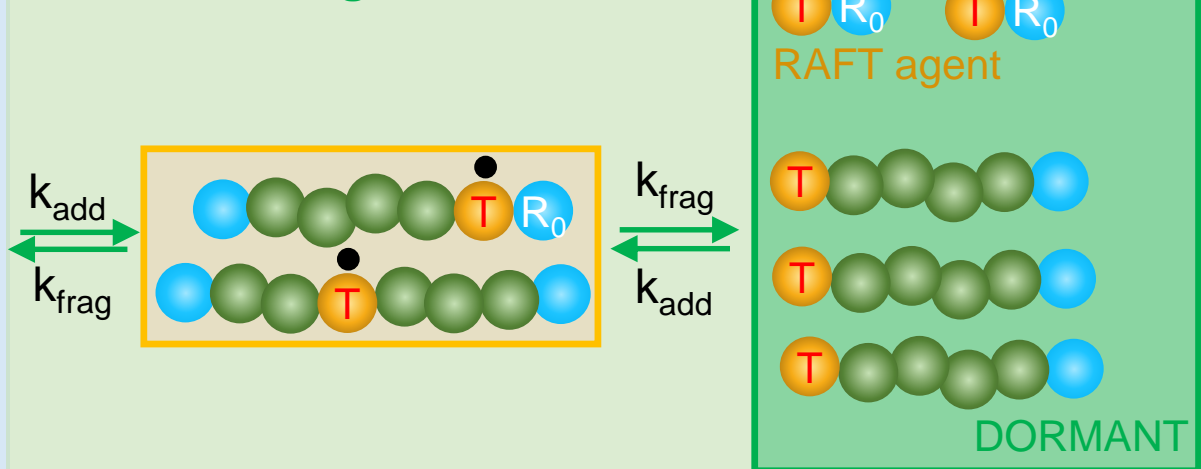
- Determination of the reaction mechanism
- calculation of **rate coefficients** for a variety of RAFT-agents



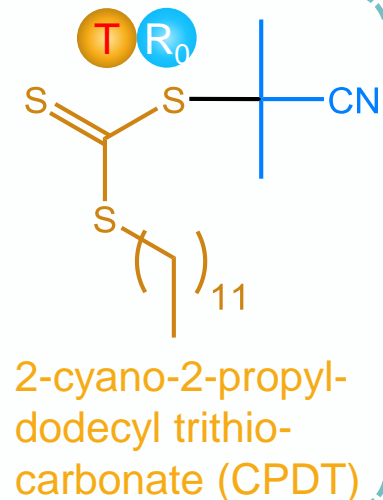
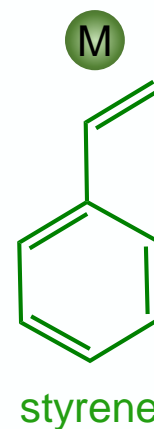
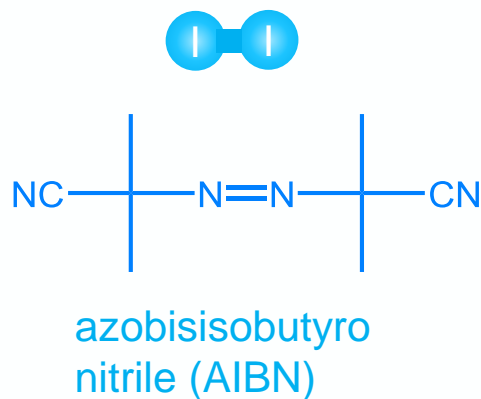
How do RAFT agents help us to obtain control over the chain length in radical polymerization



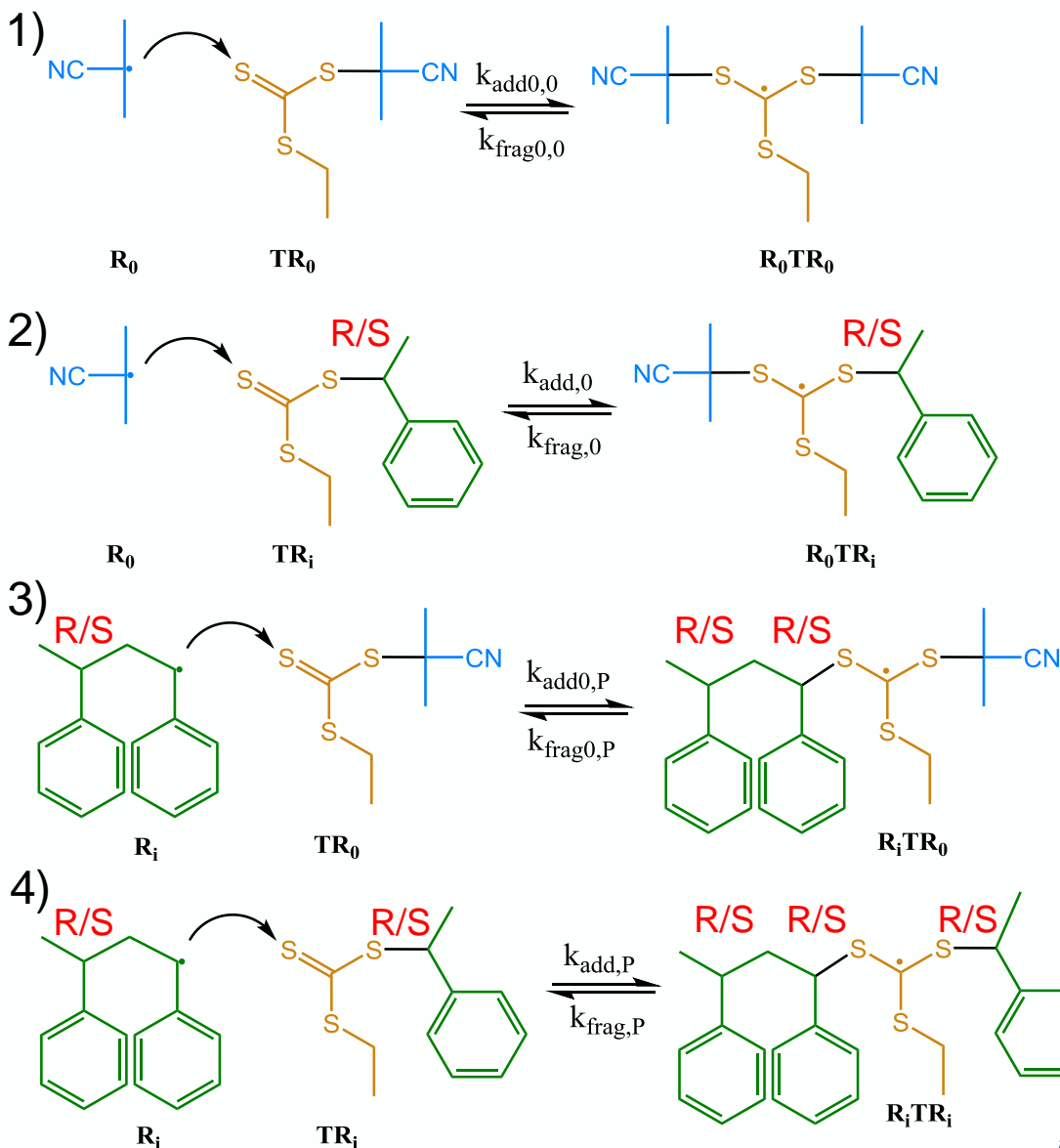
RAFT exchange



used in this work



Ab initio calculation of addition-fragmentation reactions using a dimer model: 4 model reactions



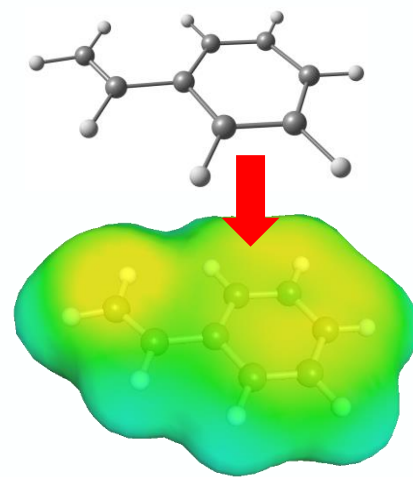
Model assumptions

- dimer radical to model macroradical^a
- ethyl group to model dodecyl group

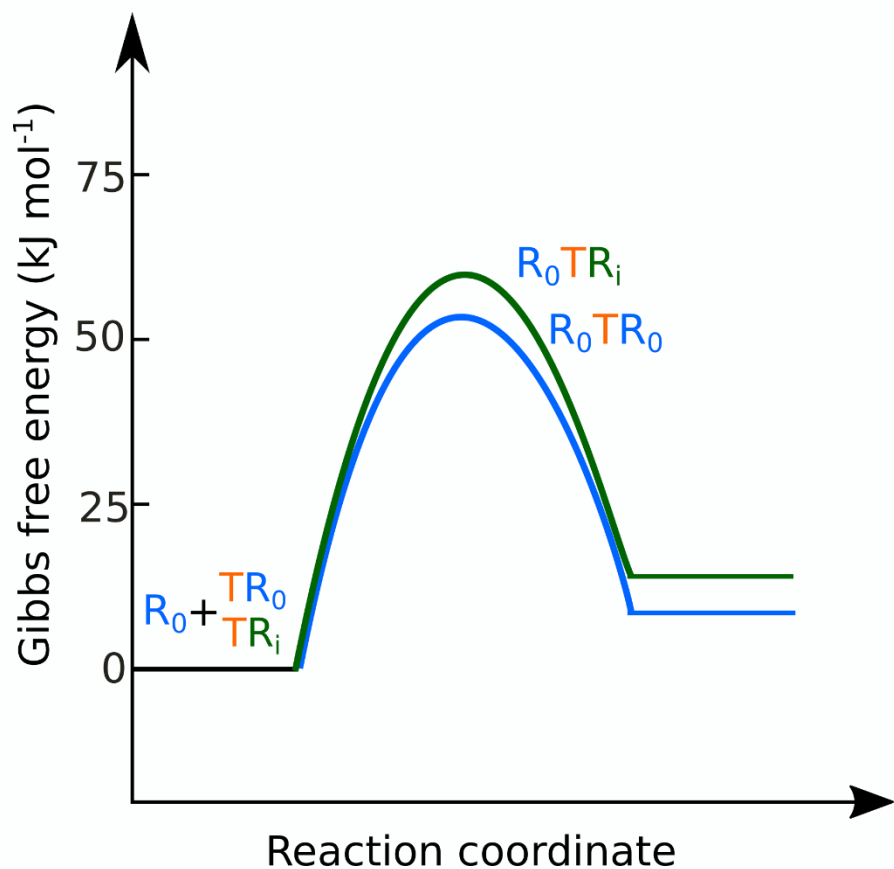
Ab initio calculation

- scan conformers: B3LYP/6-31G(d)
- geometry optimization and frequencies: B3LYP/6-31G(d)
- 'single point' electronic energy: M06-2X/6-311+G(d,p)

Solvation via COSMO-RS

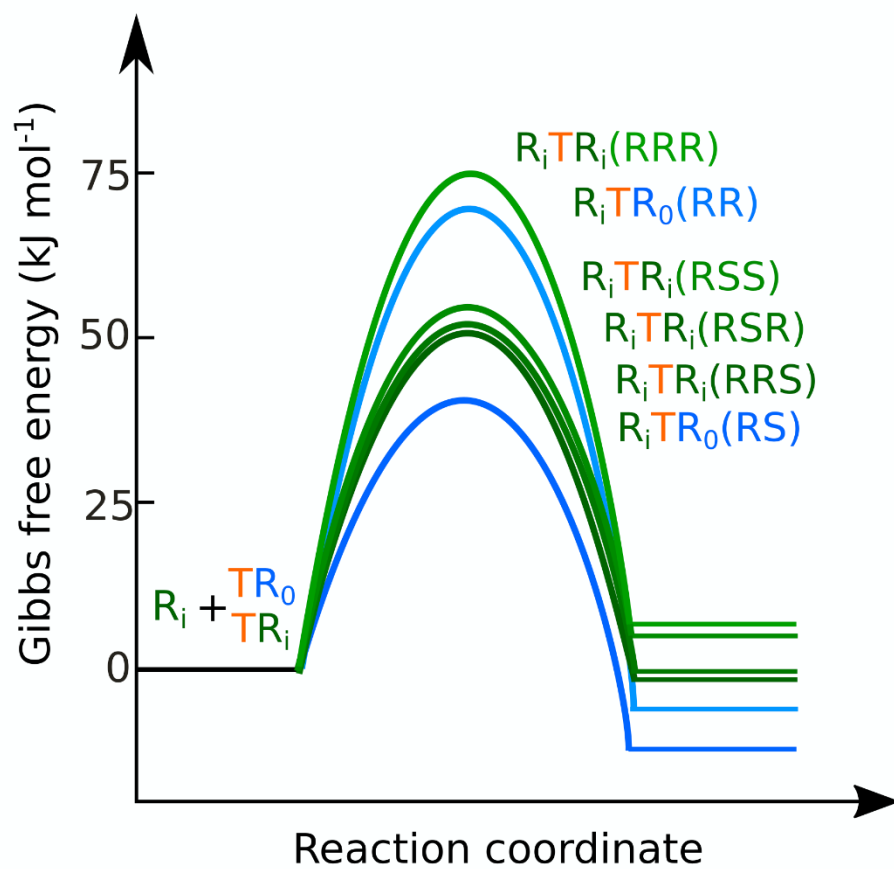


Gibbs free energy diagrams of the addition-fragmentation reactions



- Rate coefficients are obtained via classical transition state theory:

$$K = e^{\frac{-\Delta_r G^\circ}{RT}} \quad k_+ = \frac{k_B T}{h} e^{\frac{-\Delta^\ddagger G^\circ}{RT}} \quad k_- = k_+/K$$



- Stereoisomers are taken into account according to the following formulas:

$$k_{add} = \frac{1}{n_0} \sum_i k_{add,i} \quad k_{frag} = \frac{\sum_i k_{frag,i} K_i}{\sum_i K_i}$$

Deterministic kinetic model based on methods of moments^a

	Reaction	Equation	E _a kJ mol ⁻¹	A L mol ⁻¹ s ⁻¹
FRP	Dissociation*	$I_2 \rightarrow 2R_0$	129.0	1.6 E +15 ^d
	(Re)Initiation	$R_0 + M \rightarrow R_1$	26.0	4.9 E +07 ^e
	Propagation	$R_i + M \rightarrow R_{i+1}$	32.5	4.2 E +07 ^f
	Combination**	$R_i + R_j \rightarrow R_{i+j}$	0.0	5.0 E +08 ^g
RAFT	Addition	$R_0 + TR_0 \rightarrow R_0TR_0$	13.9	7.4 E +06
	Addition	$R_0 + TR_i \rightarrow R_0TR_i$	24.2	1.6 E +07
	Addition	$R_i + TR_0 \rightarrow R_iTR_0$	3.0	9.4 E +06
	Addition	$R_i + TR_i \rightarrow R_iTR_i$	15.4	1.7 E +07
	Fragmentation	$R_0TR_0 \rightarrow R_0 + TR_0$	44.6	9.4 E +12
	Fragmentation	$R_0TR_i \rightarrow R_0 + TR_i$	48.3	1.2 E +13
	Fragmentation	$R_iTR_0 \rightarrow R_i + TR_0$	51.7	2.6 E +12
	Fragmentation	$R_iTR_i \rightarrow R_i + TR_i$	53.2	1.2 E +13

* Initiator efficiency^b

$$f_{app} = \frac{D_I}{D_I + D_{term}}$$

** Diffusional limitations

Via **composite k_t model**^c

•for $i < i_{gel}$ and $i < i_{SL}$:

$$k_{t,ii}^{app} = k_{t,11} i^{-\alpha_s}$$

•for $i < i_{gel}$ and $i \geq i_{SL}$:

$$k_{t,ii}^{app} = k_{t,11} i_{SL}^{\alpha_1 - \alpha_s} i^{-\alpha_1}$$

•for $i \geq i_{gel}$ and $i < i_{SL}$:

$$k_{t,ii}^{app} = k_{t,11} i_{gel}^{\alpha_{gel} - \alpha_s} i^{-\alpha_{gel}}$$

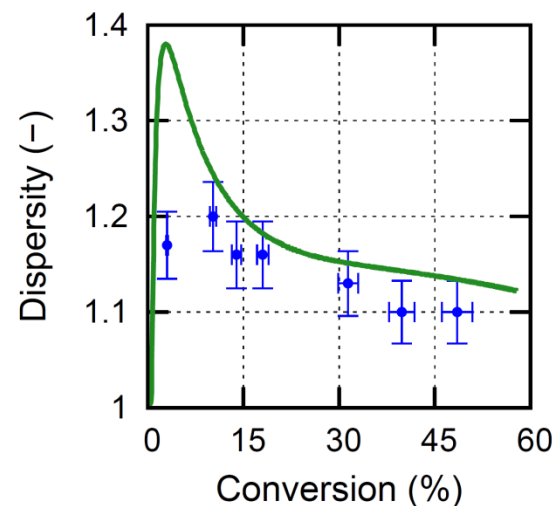
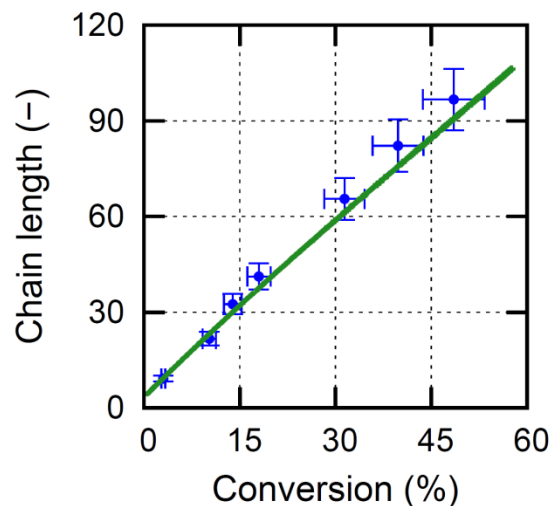
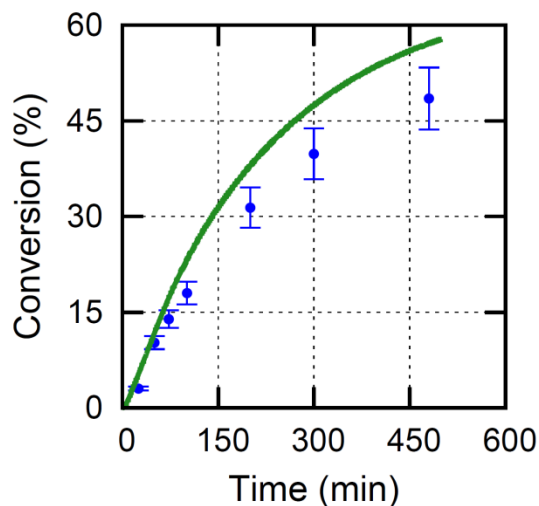
•for $i \geq i_{gel}$ and $i \geq i_{SL}$:

$$k_{t,ii}^{app} = k_{t,11} i_{SL}^{\alpha_1 - \alpha_s} i_{gel}^{\alpha_{gel} - \alpha_1} i^{-\alpha_{gel}}$$

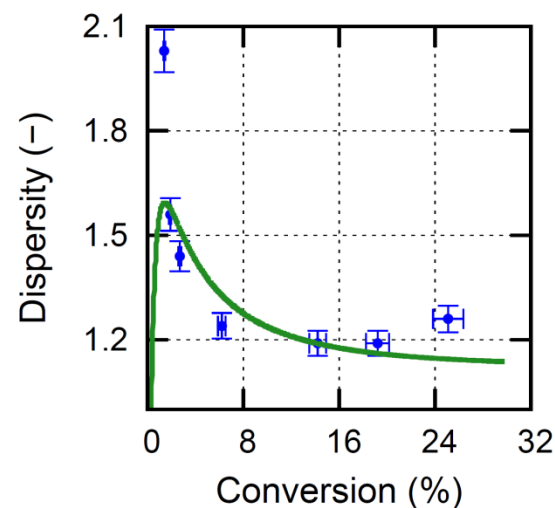
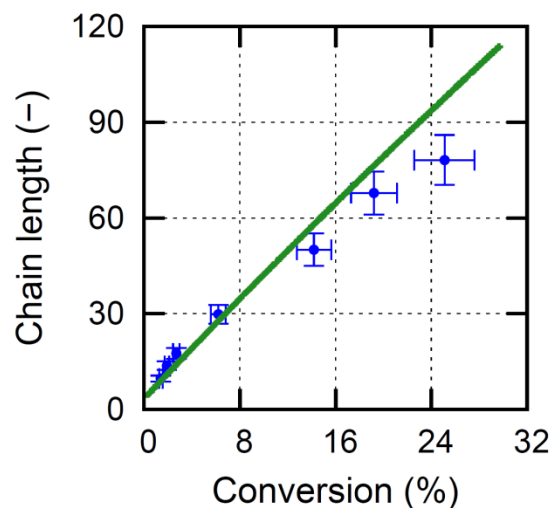
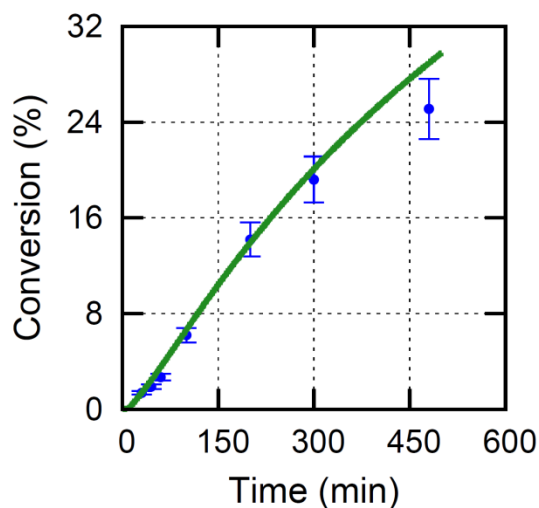
^a De Rybel et al., *Macromol. Theor. Simul.* 2016, in press; ^b Buback et al., *Macromol. Chem. Phys.* 1994, 195, 2117; ^c Johnston-Hall and Monteiro, *J. Polym. Sci. Polym. Chem.* 2008, 46, 3155-3173; ^d Van Hook et al., *J. Am. Chem. Soc.* 1958, 80, 779-782; ^e Héberger et al., *Int. J. Chem. Kinet.* 1993, 25, 249-263; ^f M. Buback, *Macromol. Chem. Phys.* 1995, 196, 3267-3280; ^g Johnston-Hall et al., *Macromolecules*, 2008, 41, 727-736

Simulation and experimental validation

$T = 80\text{ }^{\circ}\text{C}$, $\text{TCL} = 200$, $\text{CTA:AIBN} = 5:1$



$T = 70\text{ }^{\circ}\text{C}$, $\text{TCL} = 400$, $\text{CTA:AIBN} = 5:1$



1. RAFT polymerization of styrene using a trithiocarbonate

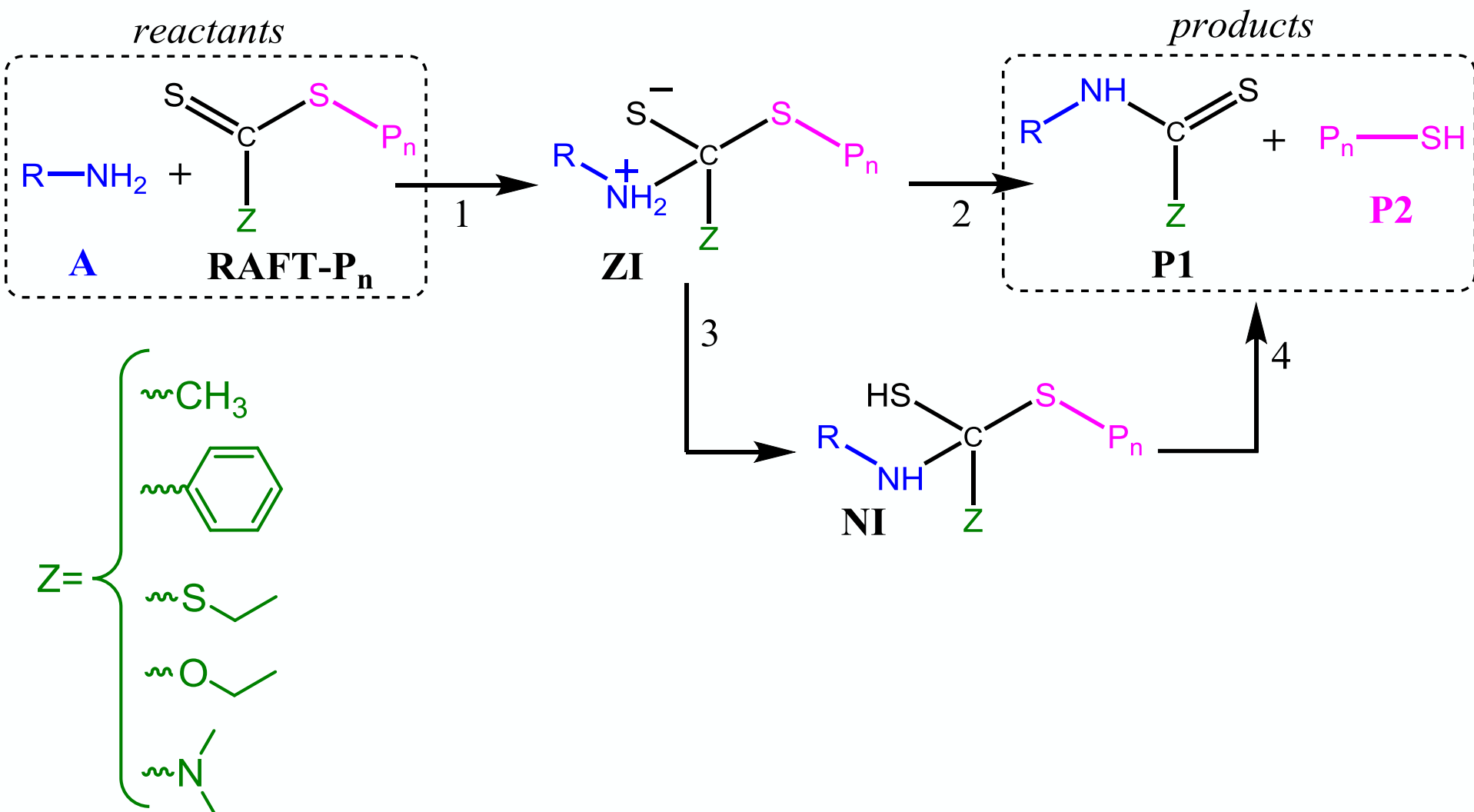
- Calculation of **addition-fragmentation** rate coefficients
- Application in a **microkinetic model**

2. The **aminolysis of RAFT-macromolecules**

- Determination of the reaction mechanism
- calculation of **rate coefficients** for a variety of RAFT-agents

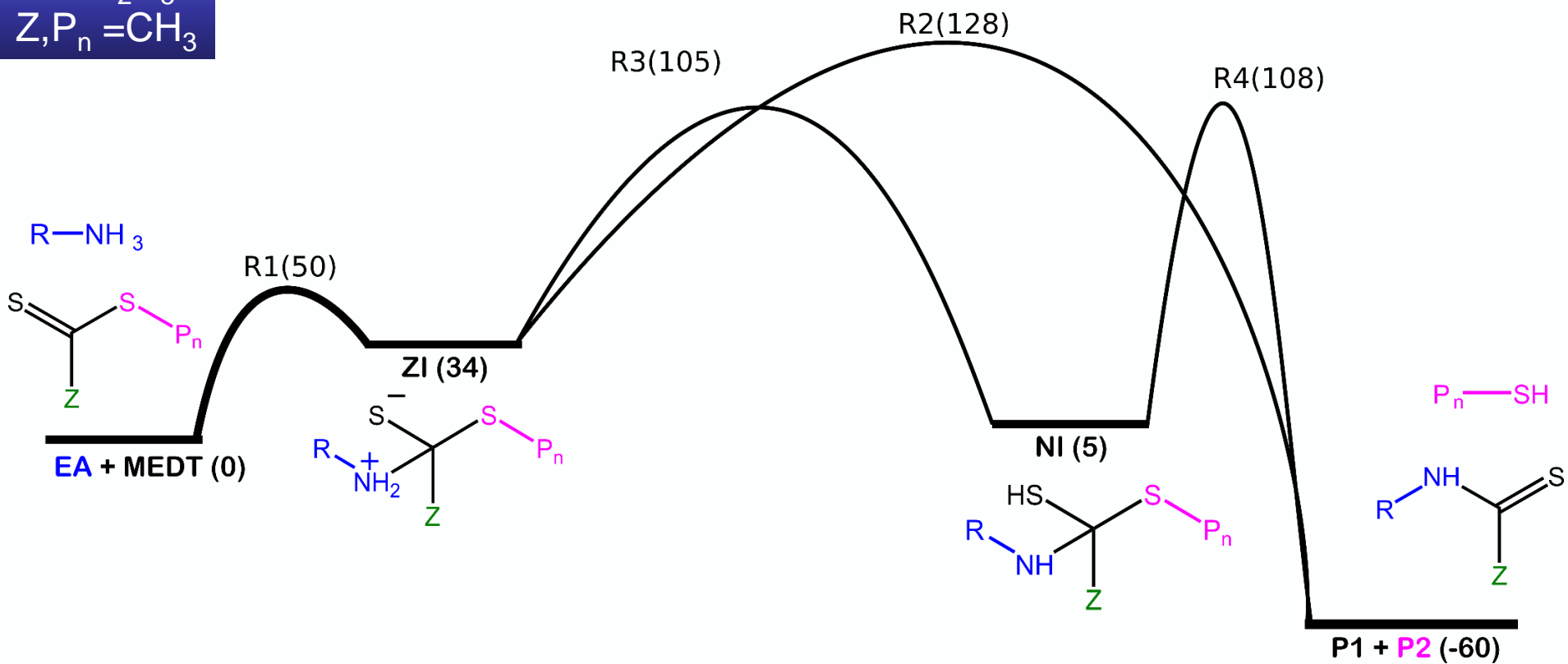


Aminolysis of RAFT agents in aprotic solvents: reaction mechanism



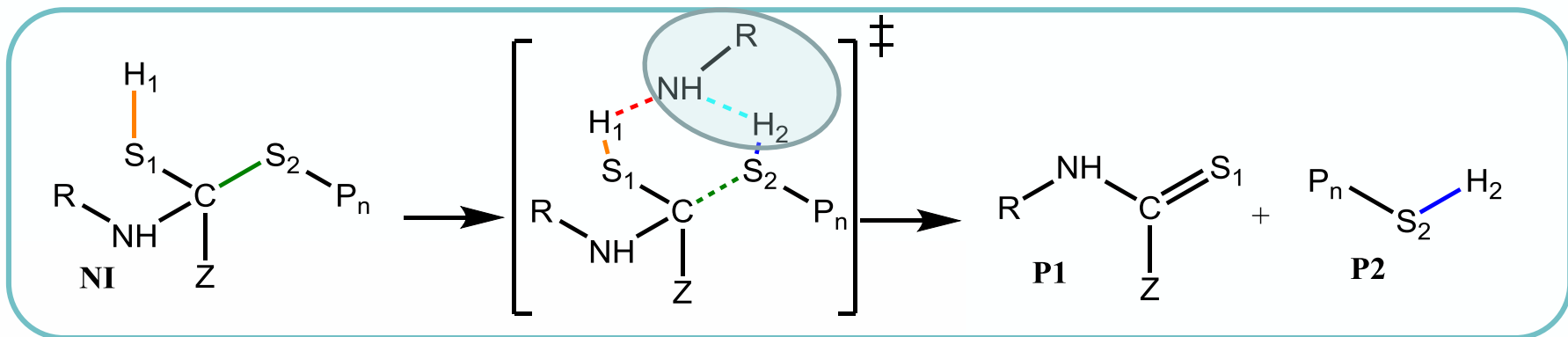
Gibbs Free Energy Diagram for EthylAmine (EA) + Methyl Ethane DiThioate (MEDT)

$R = C_2H_5$
 $Z, P_n = CH_3$

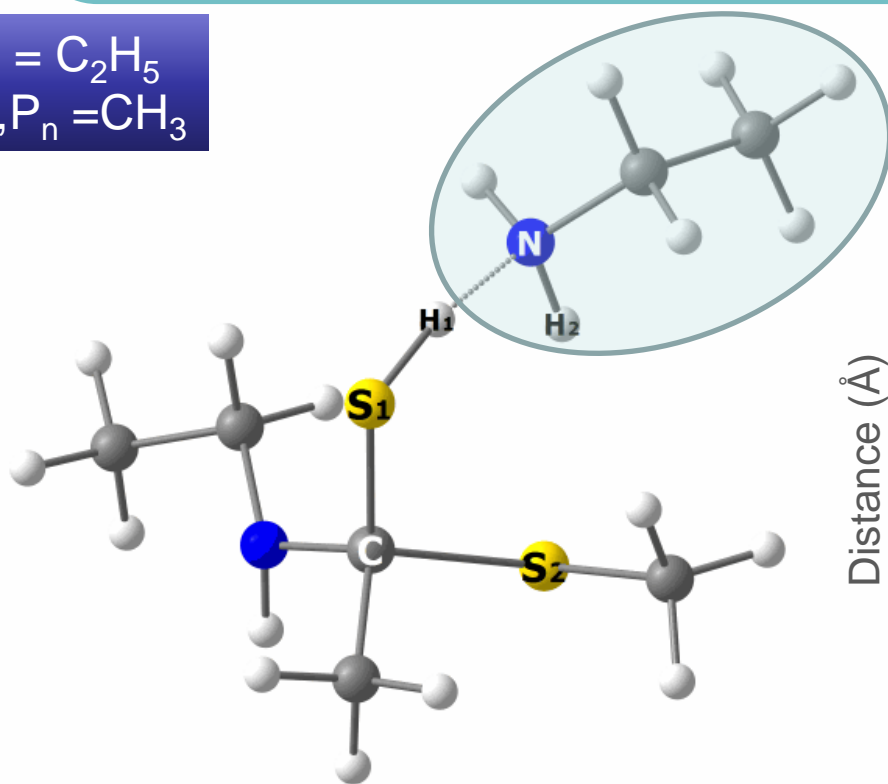


(Gibbs free energies in kJ mol⁻¹ at 298.15 K)

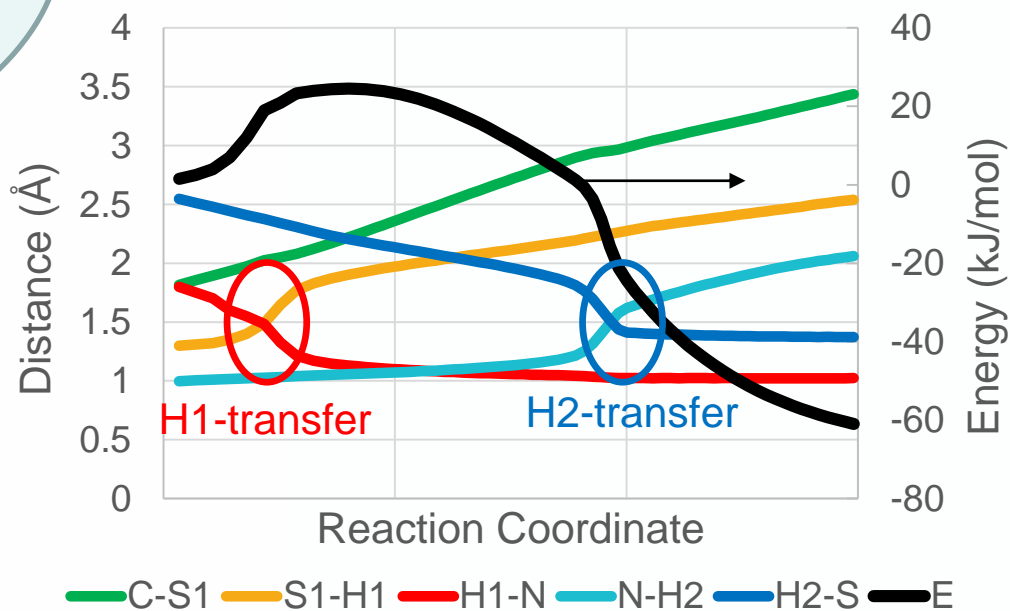
Amine assisted transition state are asynchronous and early



R = C₂H₅
Z, P_n = CH₃

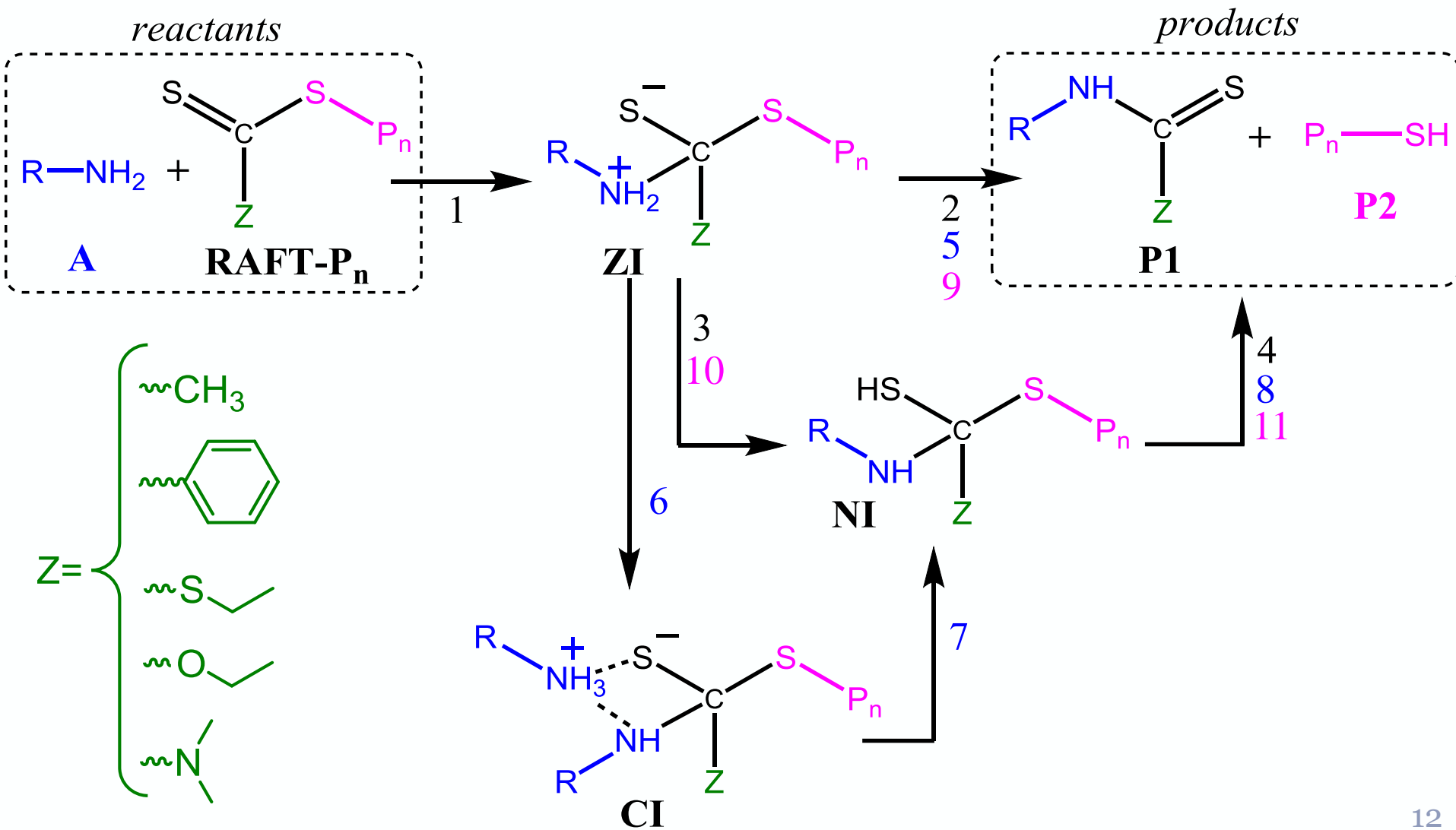


Evolution of distances along the reaction coordinate

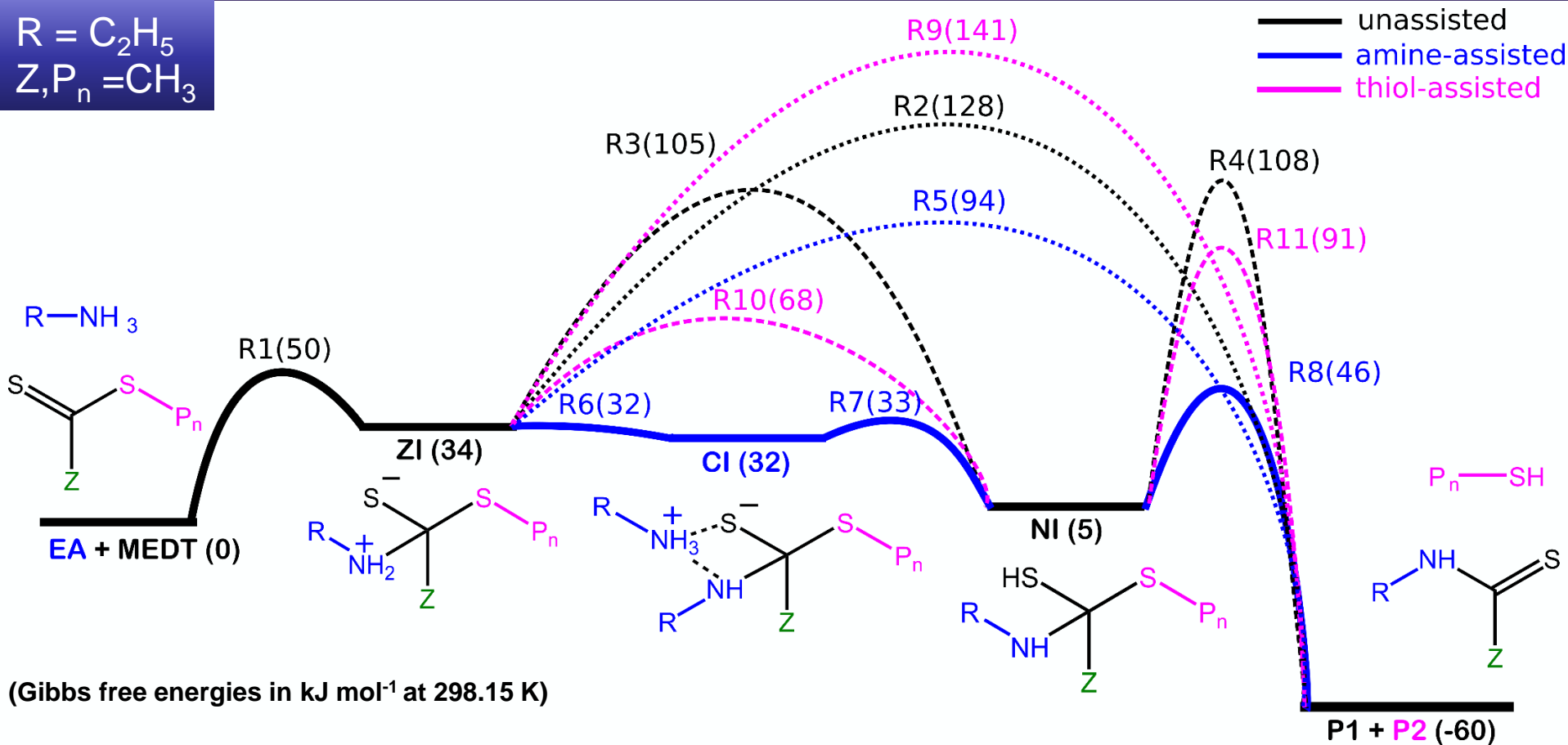
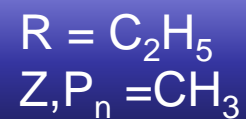


Aminolysis of RAFT agents in aprotic solvents: reaction mechanism

- Proton transfer in transition states can be assisted by **amines** and by **thiols**



Gibbs Free Energy Diagram for EthylAmine (EA) + Methyl Ethane DiThioate (MEDT)



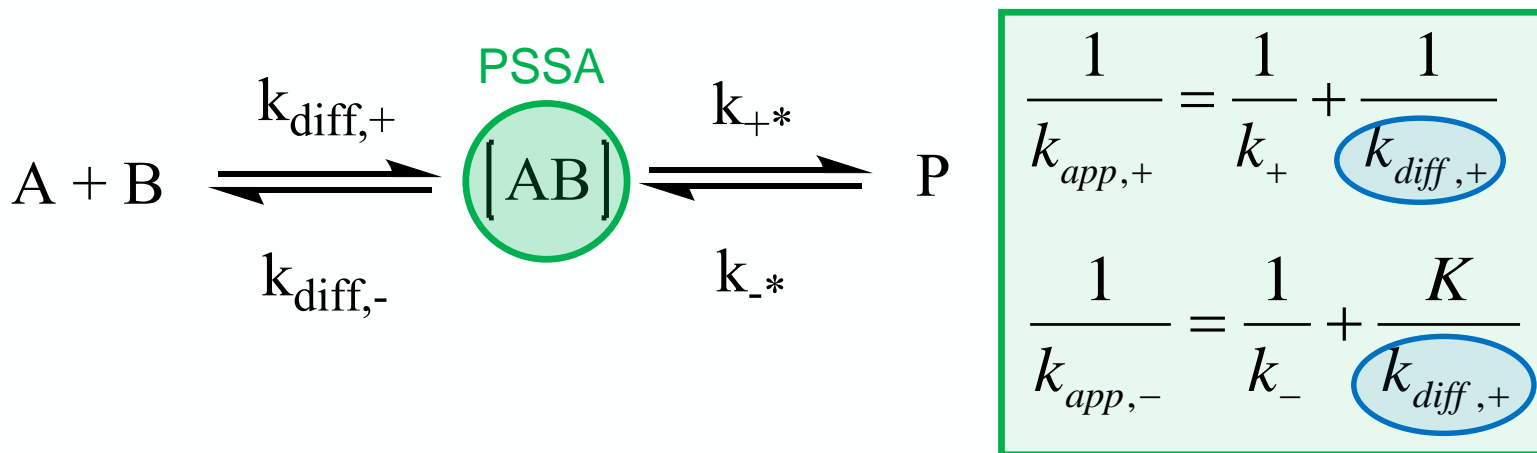
(Gibbs free energies in kJ mol⁻¹ at 298.15 K)

	R1	R2	R3	R4	R5	R6	R7	R8	R9	R10	R11
k_+	1.3E+04	2.3E-04	2.4E+00	4.3E-06	2.2E+02	6.2E+12	5.6E+12	3.4E+05	1.1E-06	7.8E+06	4.0E-03
k_-	1.3E+10	7.5E-21	1.5E-05	2.2E-17	7.2E-15	7.0E+12	7.6E+07	1.8E-06	3.6E-23	5.0E+01	2.1E-14

(k_+ and k_- in L mol⁻¹ s⁻¹ or s⁻¹)

diffusional limitations become important!

The coupled encounter pair model to account for diffusion for TS 6 and 7

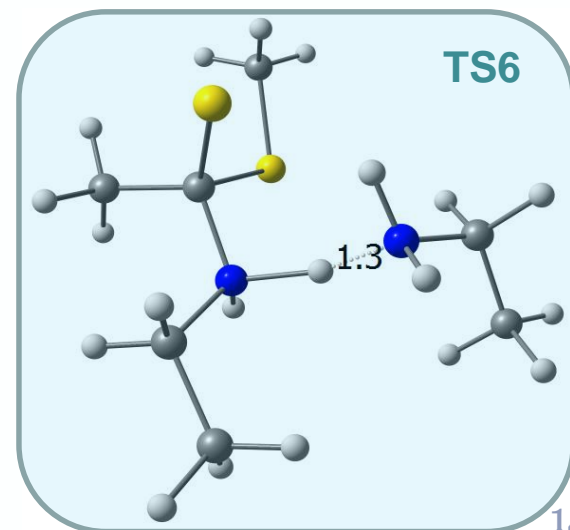


- Diffusion of A+B towards [AB] via the model of

Smoluchowski: $k_{diff} = 4\pi N_A \sigma D_{AB}$

- σ = reaction distance: from ab initio TS geometries

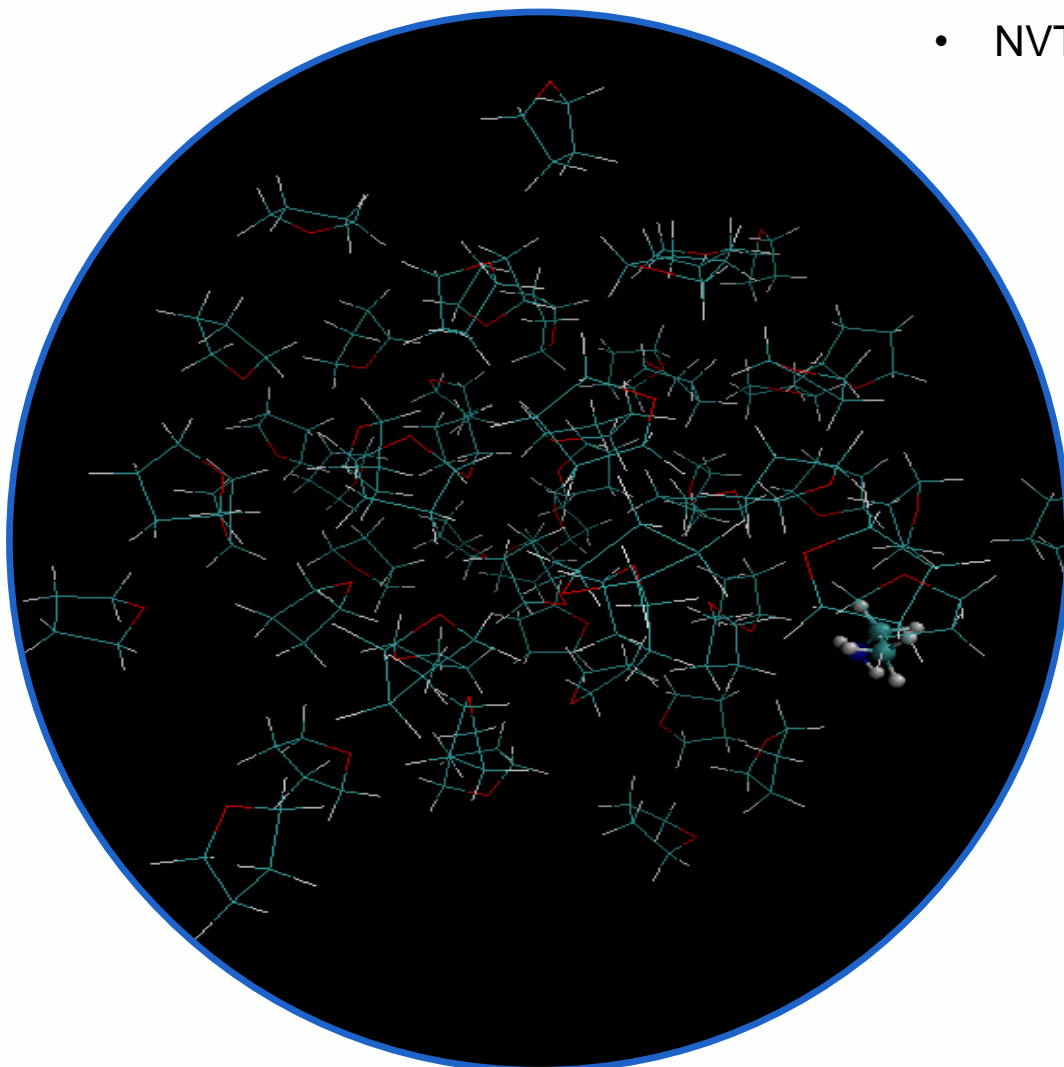
- D_{AB} = mutual diffusivity coefficient^a $D_{AB} = \frac{D_A D_B}{D_{solvent}}$
- MD



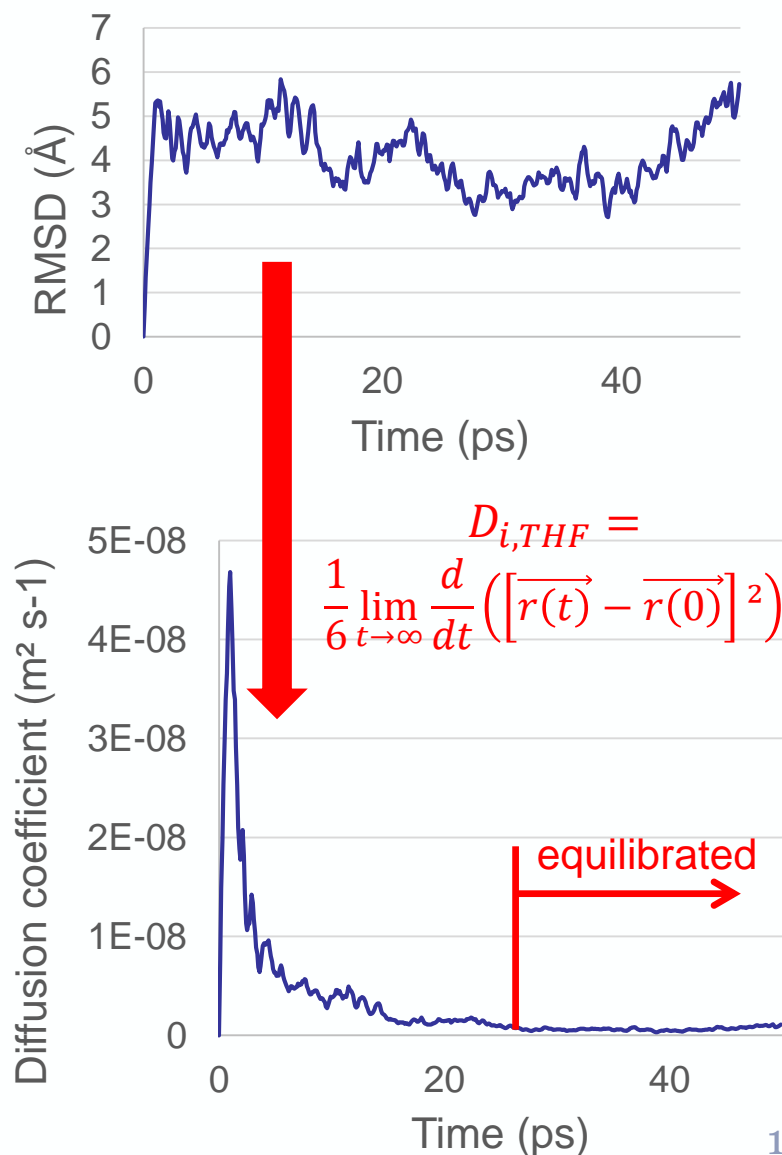
^a Liu et al. *Ind Eng Chem Res* **2011**, 50, 4776.

Diffusivity coefficients based on molecular dynamics

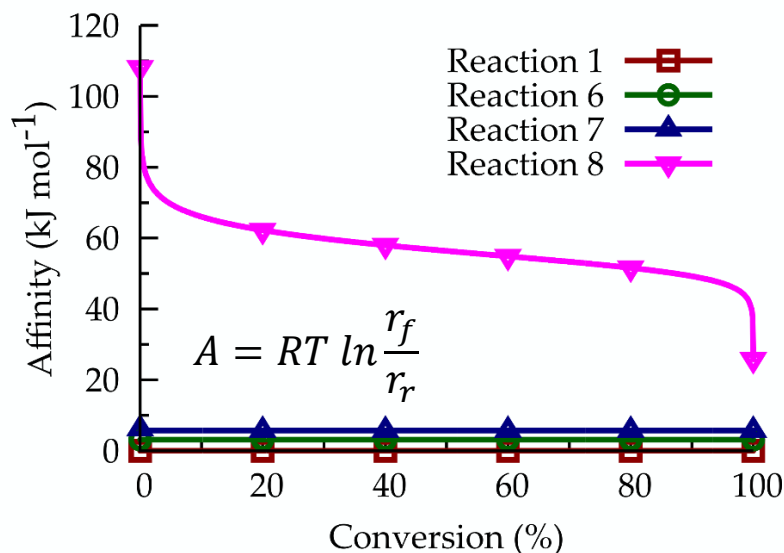
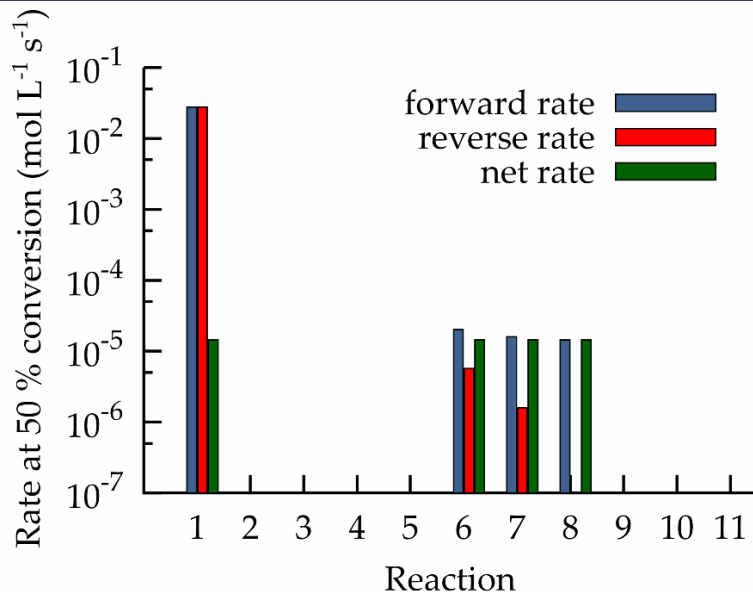
- NVT ensemble in 8 nm³ box for 50 picoseconds



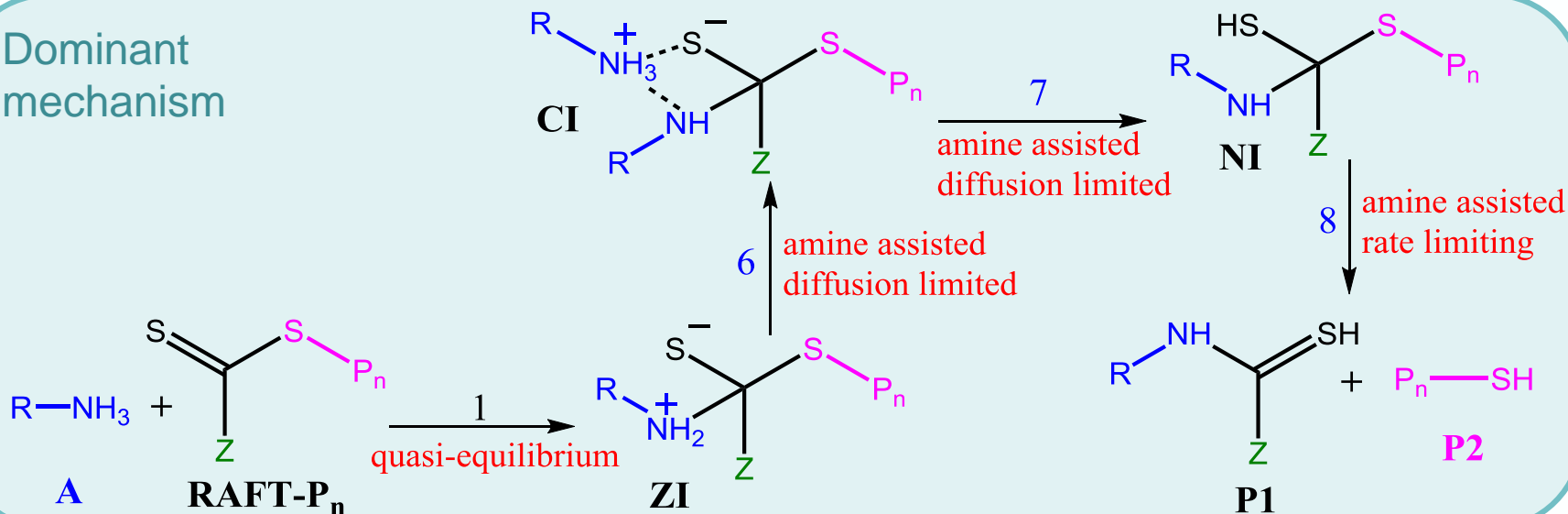
	k_+	k_{diff}	$k_{\text{app},+}$
R6	6.2E+12	2.1E+09	2.1E+09



Rate and affinity analysis reveal the dominant path and the nature of the elementary steps for the aminolysis of MEDT

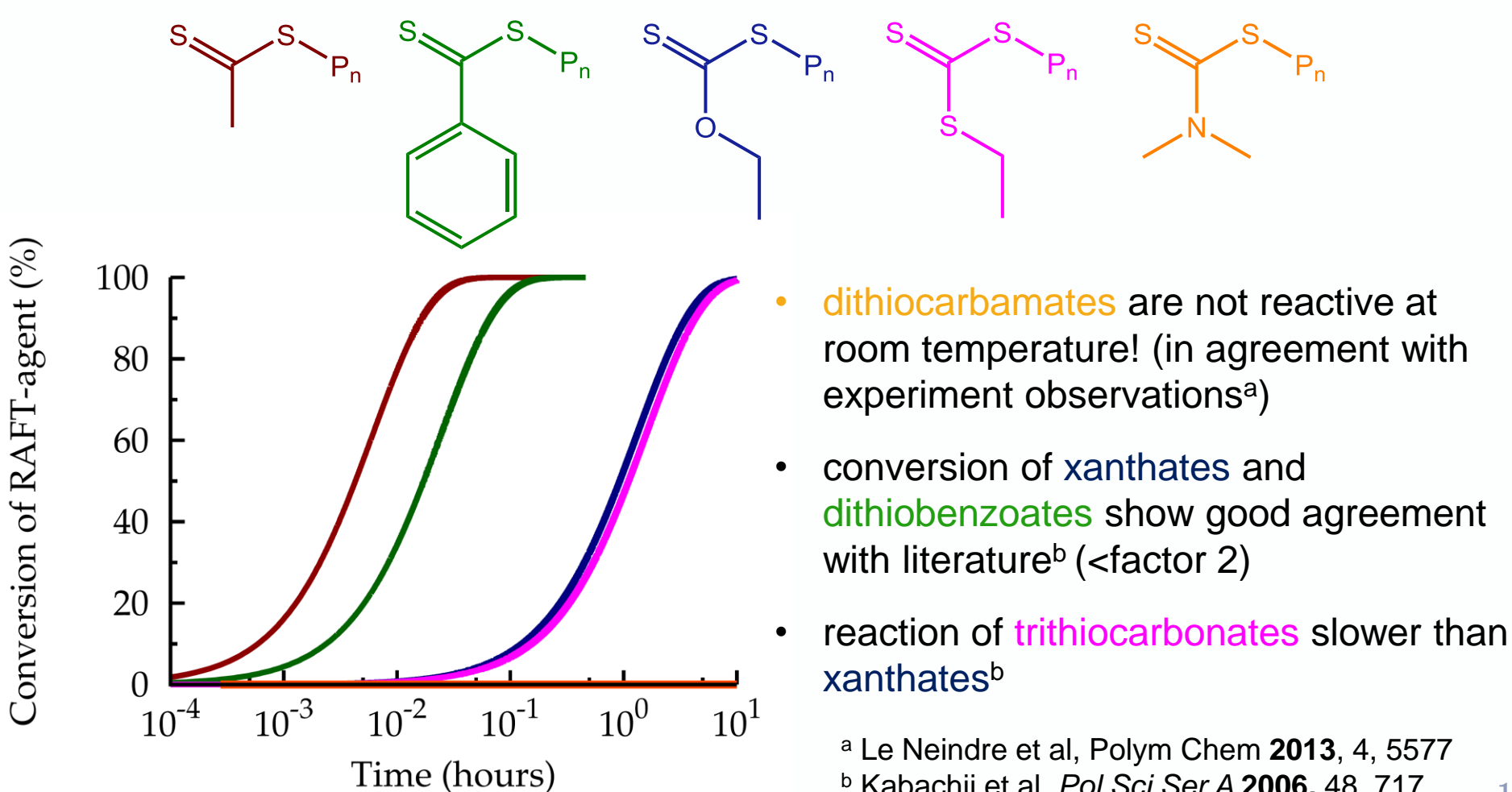


Dominant mechanism



Prediction of conversion profiles for other RAFT-agents

Reaction of 10^{-3} mol L $^{-1}$ RAFT-macromolecule with 5×10^{-3} mol L $^{-1}$ ethylamine in THF at 25 °C for **dithioates**, **thiobenzoates**, **xanthates**, **trithiocarbonates** and **dithiocarbamates**:



Conclusion: first principles techniques are a valuable tool to obtain reaction parameters for kinetic models

1. RAFT polymerization of styrene with a trithiocarbonate

- Calculation of **addition-fragmentation** rate coefficients
- Implementation in microkinetic model
 - conversions
 - chain lengths
 - dispersities

2. Aminolysis of RAFT-macromolecules

- Determining the **dominant mechanism** using ab initio based kinetic model
 - **quasi-equilibrated formation of a zwitterion**
 - **amine-assisted diffusion-limited proton transfer** over a complex intermediate towards a neutral intermediate
 - rate limiting amine-assisted breakdown of the neutral intermediate towards the product
- Simulation of conversion of range of RAFT agents
 - Reactivity: thioates > thiobenzoates > xanthates \geq trithiocarbonates >> dithiocarbamates

Acknowledgements

Thanks to

- Nils De Rybel
- LCT colleagues

Funding



Questions?

